

GameBoard

#1: Consider the parametric equations shown below. Find the rectangular equation by eliminating the parameter. Home

$$x = 5t, y = t^3 - 4$$

$$y = (x/5)^3 - 4$$

Answer

1

#7: Find two sets of polar coordinates for the point where theta is between 0 and 2pi. Home

(-6, 8)

(10, 2.214); (-10, 5.356)

Answer

7

#5: Two principals' cars follow the parametric equations given below, where t is given in seconds. Find the time (t) and location (x,y) of the crash. Home

<p>BEER'S CAR</p> $x = 3t$ $y = 4t + 2$	<p>BUCK'S CAR</p> $x = 2t + 1$ $y = 5t + 1$
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The two principals collide at t=1 seconds; their position is (3,6) at the time of the collision.

Answer

13

#2: Determine what quadrant the point is in; then, find its rectangular form. Howie

$$\left(-1, \frac{5\pi}{4}\right)$$

$$\left(\frac{\sqrt{2}}{2}, \frac{\sqrt{2}}{2}\right)$$

Answer

2

#8: Find two sets of polar coordinates for the point where theta is between 0 and 2pi. Howie

$$(-5, 12)$$

$$(13, 1.966)$$

$$(-13, 5.108)$$

Answer

8

#6: Convert the rectangular equation to polar form. Howie

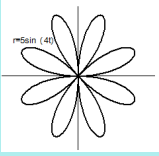
$$3x - y + 4 = 0$$

$$r = \frac{-4}{3\cos\theta - \sin\theta}$$

Answer

14

#3: State the type(s) of symmetry (with respect to $\theta = \pi/2$, the polar axis, and/or the pole) illustrated by the graph. Howie



swrt $\theta = \pi/2$, the polar axis, and the pole

Answer

3

#9: Find the maximum value of $|r|$.

$$r = 13 + 4\cos\theta$$

Max value of $|r|$ is 17.**Answer**

9

#10: Convert the polar equation to rectangular form.



$$r = 3\cos\theta$$

$$x^2 + y^2 = 3x$$

Answer

15

#4: Find the zeros of r within a single tracing.

$$r = 8 + 16\sin\theta$$

$$\theta = \frac{7\pi}{6}, \frac{11\pi}{6}$$

Answer

4

#11: Find the center and radius of the circle:




$$x^2 + (y-7)^2 = 23$$

Center: (0, 7)

Radius: $\sqrt{23}$ **Answer**

4

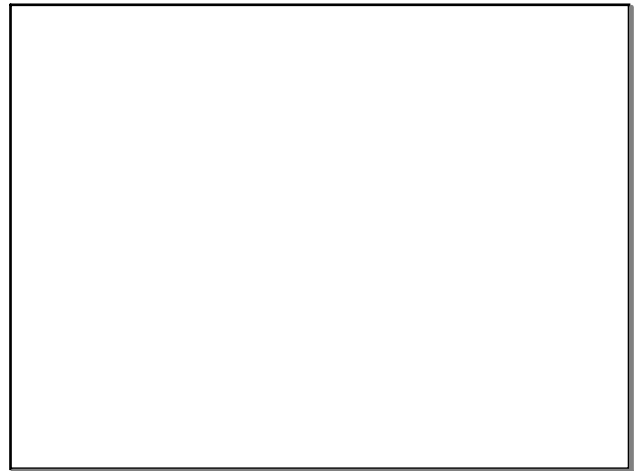
#12: Find the standard form of the ellipse centered at the origin with the given information: 

Vertices: (0, -8); (0, 8)

Foci: (0, -4); (0, 4)

$$\frac{x^2}{48} + \frac{y^2}{64} = 1$$

Answer



Attachments

JEOPARDY.mp3