## Tangent Line to a Curve

 Name $\qquad$1. Draw the secant line between $P$ and $S_{1}$. Draw the secant line between $P$ and $S_{2}$.

Find the slope between the points marked $P$ and $S_{1}$. Find the slope between the points marked P and $S_{2}$. Find the distance between the $\mathbf{x}$-coordinates of $S_{1}$ and $P$ and of $S_{2}$ and $P$. (We refer to this difference as h.)
(a)

(b)

(c)


Slope of secant line between P and $S_{1}$ $\qquad$
Slope of secant line between P and $S_{2}$ $\qquad$ $\mathrm{h}=$ $\qquad$ Recall the formula for slope (rise over run) $m=\frac{y_{2}-y_{1}}{x_{2}-x_{1}}$

Slope of secant line between P and $S_{1}$ $\qquad$ Slope of secant line between P and $S_{2}$ $\qquad$
$\mathrm{h}=$ $\qquad$

Slope of secant line between P and $S_{1}$ $\qquad$
Slope of secant line between P and $S_{2}$ $\qquad$
$h=$ $\qquad$

## Cumulative Questions (for parts a-c)

I. What value is the secant slope approaching? $\qquad$
II. What value is $h$ approaching?
III. Draw the tangent line to Point $P$ on graph (c).
IV. Is the slope of the tangent line you drew in part (III) the same as your answer to question (I)? $\qquad$
2. Draw a small segment of a line that is tangent to the given curve at each indicated point. (Segments should hug the curve.) Specify whether each slope is positive, negative, or zero by using the symbols,+- , or 0 next to each point.

3. Evaluate $\lim _{h \rightarrow 0} \frac{f(x+h)-f(x)}{h}$ for each given function.
(a) $f(x)=9-5 x$
(b) $f(x)=4 x^{2}-5 x+9$

